The relation between incident and transmitted angles is:

$$n_1 \cdot \sin \theta_1 = n_2 \cdot \sin \theta_2$$

where n_1 and n_2 are the refractive indices of the respective materials. Not sure what $\sin \theta$ means? See Chapter 10.2.

Let's take the simple example of a ray of light passing from air $(n_1=1)$ into a diamond $(n_2=2.42)$ and an amethyst $(n_2=1.54)$. Figure 11-10 shows some rays, while Figure 11-11 plots the transmitted angle as a function of the incident angle.

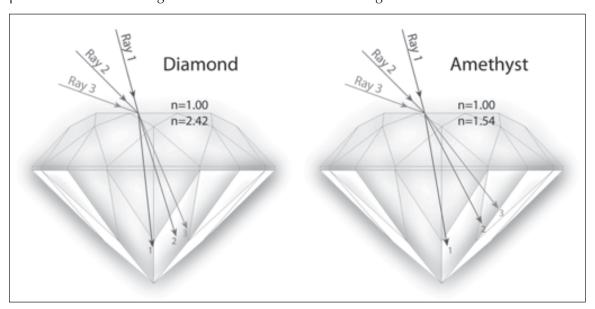


Figure 11-10 Three rays of light entering a diamond (left) and an amethyst (right). For the same incident angle, a diamond refracts the ray closer to the perpendicular (smaller θ_2) than does an amethyst.

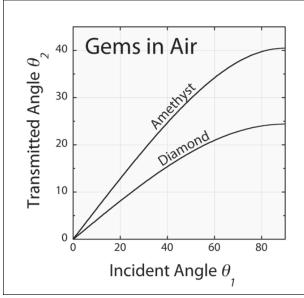


Figure 11-11 The transmitted angle θ 2 as a function of the incident angle θ 1 for diamond and amethyst in air.

As pointed out in Chapter 10.3, the ray transmitted into the gem is always closer to perpendicular – in other words, θ_2 is always smaller than θ_1 . This explains the ability of gemstones to "collect" light from a large range of incident angles and redirect them into directions useful for the performance of the gem. Note also that this redirection is more effective for higher refractive index: for a given input ray, the value of θ_2 is always smaller for diamond than for amethyst. This greater refractive ability also means that, in general, the rays entering your eye from a diamond came from a wider spread of input angles. This translates to better subjective gem performance, since this wider range captures more photons and likely includes a greater variety of light